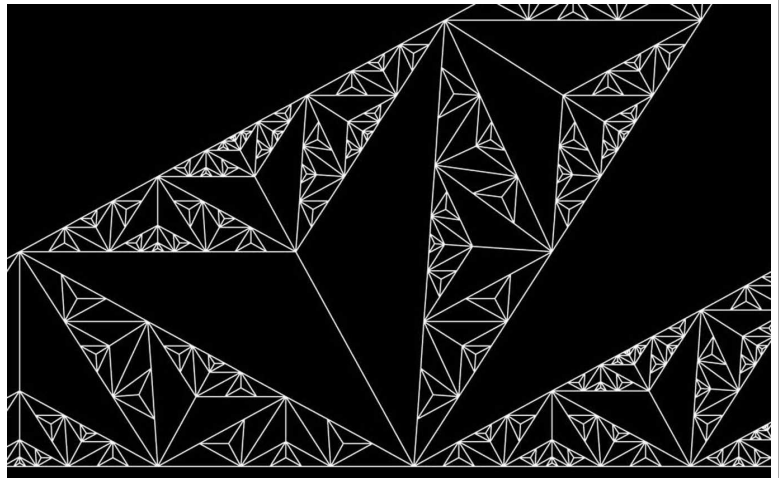


Today's Essential Question:

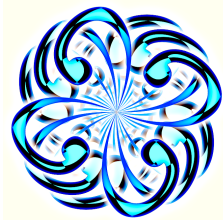
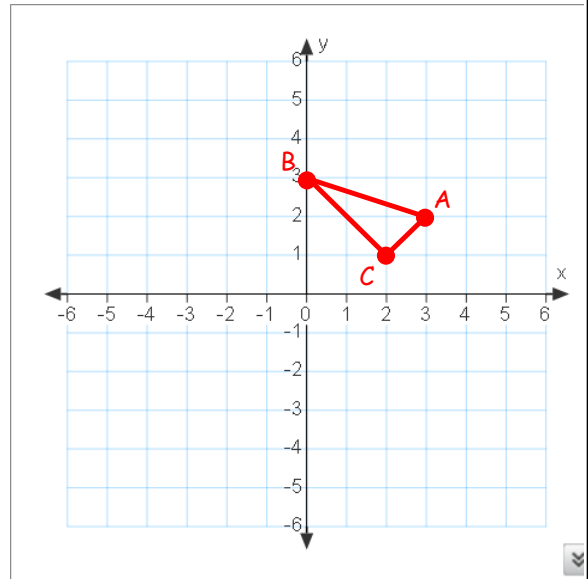
How can coordinate rules help with transformations on a coordinate graph?



Classwork: These slides, not from text book
Homework: 1-126 to 1-133

Check in

- a. Translate $\triangle ABC$ left 3 and down 5
- b. Reflect $\triangle ABC$ across the x-axis
- c. Reflect $\triangle ABC$ across the y-axis
- d. Reflect $\triangle ABC$ across the line $y = -x$
- e. Rotate $\triangle ABC$ 90° clockwise about the origin
- f. Rotate $\triangle ABC$ 180° counterclockwise about point A
- g. Dilate $\triangle ABC$ by a factor of 2 with respect to the origin
- h. Dilate $\triangle ABC$ by a factor of $\frac{1}{2}$ with respect to the origin



Rotations

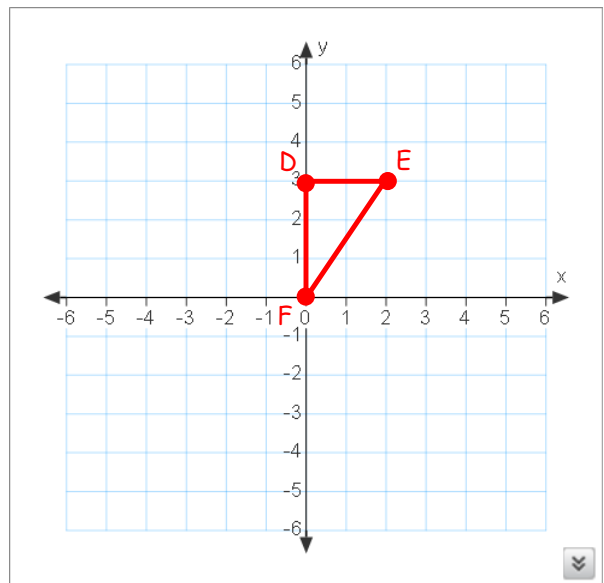
Write the coordinates of point E. Rotate $\triangle DEF$ counterclockwise 90° , 180° , and 270° about the origin and record the coordinates of the new point E each time. What do you notice about the coordinates?

E (,)

E' (,)

E'' (,)

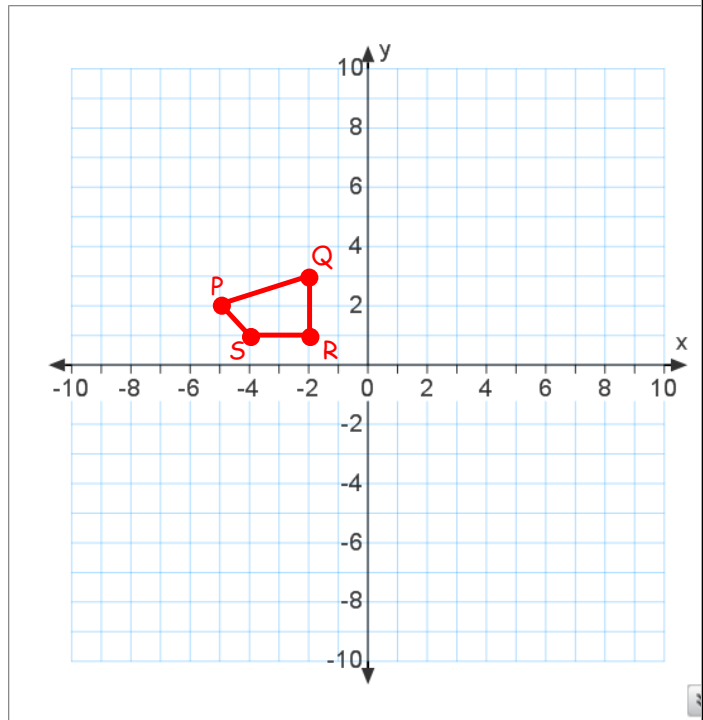
E''' (,)



Coordinate Rule Example

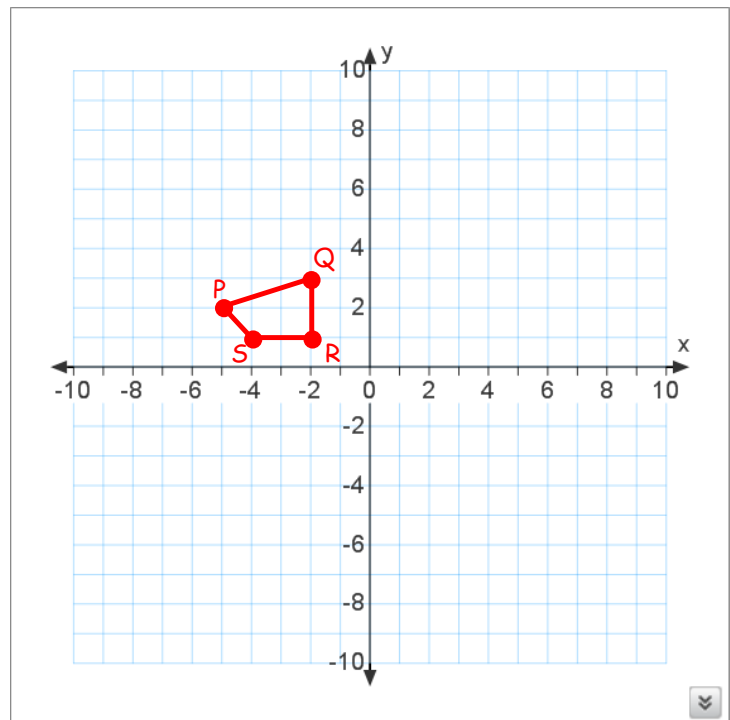
Coordinate Rule: $(x, y) \rightarrow (-2y, 2x)$

$P(-5, 3) \rightarrow$ _____



Coordinate Rule Example

- a. $(x, y) \rightarrow (-x, y)$
- b. $(x, y) \rightarrow (x, -y)$
- c. $(x, y) \rightarrow (-y, x)$
- d. $(x, y) \rightarrow (-x, -y)$
- e. $(x, y) \rightarrow (y, -x)$
- f. $(x, y) \rightarrow (y, x)$
- g. $(x, y) \rightarrow (x + 3, y - 5)$
- h. $(x, y) \rightarrow (2x, 2y)$
- i. $(x, y) \rightarrow (2x + 3, 2y - 5)$
- j. $(x, y) \rightarrow (2y, 2x)$
- k. $(x, y) \rightarrow (2y + 3, 2x - 5)$
- l. $(x, y) \rightarrow (2y + 3, -2x + 5)$



Match each description with its coordinate rule.

- | | | | |
|----|---|----|-------------------------------------|
| a. | Translate (shift) a horizontal units and b vertical units | 1. | $(x, y) \rightarrow (-x, y)$ |
| b. | Reflect across the x -axis | 2. | $(x, y) \rightarrow (x, -y)$ |
| c. | Reflect across the y -axis | 3. | $(x, y) \rightarrow (y, -x)$ |
| d. | Reflect across the line $y = x$ | 4. | $(x, y) \rightarrow (-y, x)$ |
| e. | Rotate 90° counterclockwise (or 270° clockwise) about the origin | 5. | $(x, y) \rightarrow (-x, -y)$ |
| f. | Rotate 180° counterclockwise (or 180° clockwise) about the origin | 6. | $(x, y) \rightarrow (x + a, y + b)$ |
| g. | Rotate 270° counterclockwise (or 90° clockwise) about the origin | 7. | $(x, y) \rightarrow (cx, cy)$ |
| h. | Dilate with respect to the origin by a factor of c | 8. | $(x, y) \rightarrow (y, x)$ |



5. Without looking at your notes, describe the transformation(s) that would occur for each of the following coordinate rules.

a. $(x, y) \rightarrow (-x, y)$

b. $(x, y) \rightarrow (3x, 3y)$

c. $(x, y) \rightarrow (\frac{1}{4}y, \frac{1}{4}x)$

6. Write the coordinate rule for each transformation or set of transformations.

a. Reflect across the x-axis

b. Translate right 8 and up 3

c. Dilate by a factor of 10

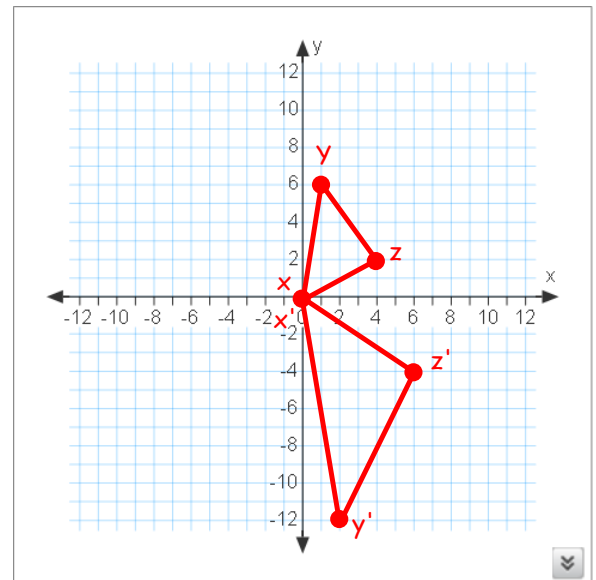
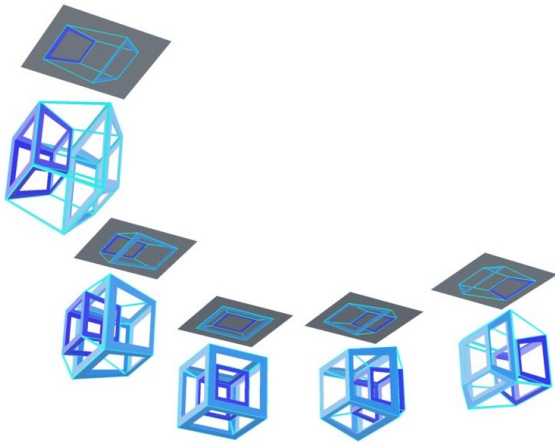
d. Reflect across the line $y = x$ and dilate by a factor of 7

e. Dilate by a factor of 3 and translate down 5 and left 1



7. What does the coordinate rule $(x, y) \rightarrow (-y, -x)$ do? Use one of the figures from this lesson or make your own figure to test your conjecture by using the rule.

8. Write a coordinate rule that would transform Figure XYZ into Figure X'Y'Z', and name the transformation(s).



Homework: 1-126 to 1-133



